

LMC



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ELECTRONICS

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- ❖ **Read instruction manual carefully.**
- ❖ **The graphical variations shown are exemplary and the numerical values may differ.**
- ❖ **Connect the circuit step by step as written in the procedure.**
- ❖ **Check the circuit again carefully before switching ON the power supply.**

**OPERATING INSTRUCTIONS MANUAL
FOR
THE STUDY OF TRANSFORMER COUPLED
(TC) AMPLIFIER**

MODEL: LMC-141

Connection leads Red-10 & Black-3 (2mm)

TRANSFORMER COUPLED AMPLIFIER

OBJECT: - To study two-stage transformer coupled amplifier.

APPARATUS: - Experimental Board, Digital multimeter, Connection leads Red-10 and Black-3 (2mm).

THEORY: - In transformer coupling the ac output of stage-1 across the primary (L_p) of the coupling transformer is inductively coupled to the base of the stage-2 through the secondary (L_s) of the transformer. The final output of the stage-2 is delivered to the secondary of the output transformer at O_2 . Rest of the circuit is like R-C coupled amplifier.

The fig (1) shows the Transformer – Coupled amplifier.

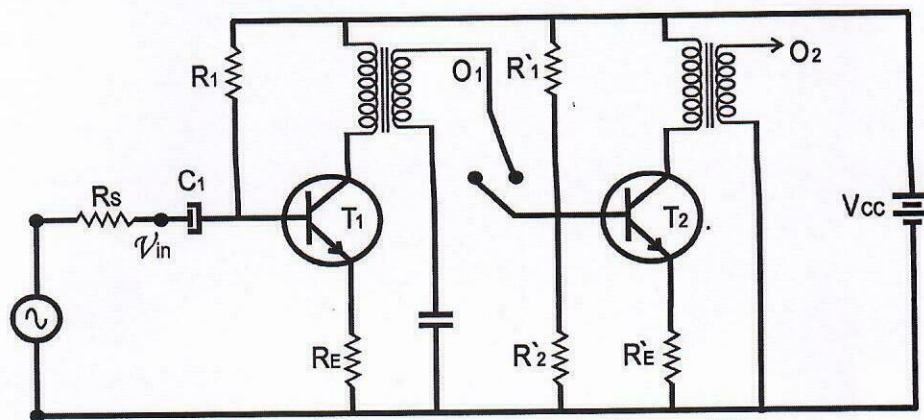


Fig (1): Transformer coupled amplifier.

The loads R_C of stage-1 and stage-2 are replaced by the primaries of transformers; therefore the collectors of the transistors are practically at $+V_{cc}$ level due to low ohmic resistance of inductance of primary L_p . This results into low power loss but the frequency response is markedly effected. The factors controlling the frequency response and the amplifier gain are:

1. Inductances of primary and secondary (L_p, L_s).
2. The turns ratio of transformers (N_s / N_p).
3. The equivalent values of inductance L_{eq} and capacitance C_{eq} arising due to windings. At high frequencies seriesing of L and C and their reflected values from secondary to primary become important. It may written as:

$$L_{eq} = L_p + \left(\frac{N_p}{N_s}\right)^2 L_s \dots (1a)$$

$$C_{eq} = C_p + \left(\frac{N_p}{N_s}\right)^2 C_s \dots (1b)$$

As a result a series resonant frequency f_0 is given by relation:

$$f_0 = \frac{1}{2\pi\sqrt{L_{eq} C_{eq}}} \dots (2)$$

Consequently the upper cut off frequency f_2 (-3dB) is greater than f_0 and a resonant hump is present at high frequency.

The mutual coupling between L_s & L_p is given by $M = \sqrt{L_s L_p}$ and capacitance $C = (C_s + C_p)$. Hence a resonant hump occurs due to M and C .

The hump frequency f_h is given by relation:
$$f_h = \frac{1}{2\pi\sqrt{MC}} \dots (2a)$$

It may be shown that the mid frequency gain is also effected by turns ratio (N_p/N_s). It is given by relation:

$$A_v = \frac{V_{b2}}{V_{b1}} = \frac{(h_{fe})_1 \left(\frac{N_p}{N_s}\right) (h_{ie})_2}{2 (h_{ie})_1} = \frac{(h_{fe})_1 \left(\frac{N_p}{N_s}\right)}{2} \dots (3)$$

where terms have usual meaning and $(h_{ie})_1 = (h_{ie})_2$ for two similar transistors.

At low frequencies, the load offered by L_p and that reflected from secondary is small. This makes gain quite poor at low frequencies. The shunting effect of input and output reflected impedances may be written as:

$$Z_1 = \frac{1}{(h_{oe})_1}, \quad Z_2 = \left(\frac{N_p}{N_s}\right)^2 (h_{ie})_2$$

Therefore the resultant effective impedance Z is given by
$$\frac{1}{Z} = \frac{1}{Z_1} + \frac{1}{Z_2}$$

$$\therefore Z = \frac{\frac{1}{(h_{oe})_1} \times \left(\frac{N_p}{N_s}\right)^2 (h_{ie})_2}{\frac{1}{(h_{oe})_1} + \left(\frac{N_p}{N_s}\right)^2 (h_{ie})_2} \dots (4)$$

The reactance of L_p at lower cut off frequency f_1 (-3dB) should be equal to Z , i.e.

$$2\pi f_1 L_p = Z \quad \therefore f_1 = \frac{Z}{2\pi L_p} \dots (4a)$$

Evidently f_1 depends upon Z and L_p .

The specific features make transformer coupling advantageous and disadvantageous at different places.

- Advantages:**
- (i) Low power loss.
 - (ii) Higher voltage gain.
 - (iii) Power delivery at output is convenient by impedance matching by controlling transformer turns ratio.
 - (iv) Useful at higher frequencies.
 - (v) The resonant hump may be shifted by shunting L_p & L_s by capacitors.

Disadvantages:

- (i) Frequency response is poor.
- (ii) Low frequency transformers are costly.
- (iii) Presence of transformer hum.
- (iv) Presence of resonant humps.

PROCEDURE: - Proceed to study the amplifier in following steps:

STEP (A):- The frequency response of the amplifier.

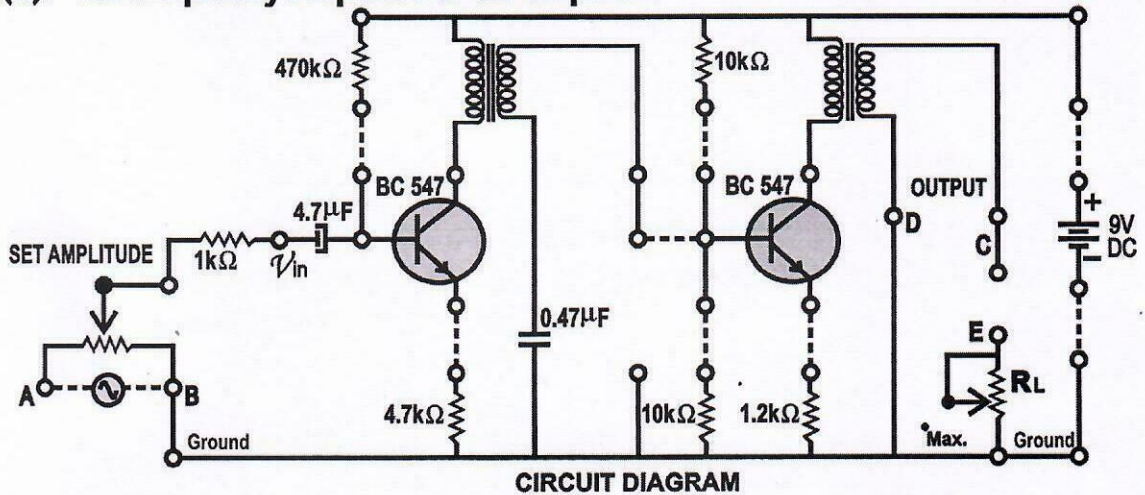
STEP (B):- Output impedance (Z_{out}) of the amplifier at different frequency steps.

➤ Keep power switch in off position.

➤ Remove all the connections, if any, on the exp. board.

NOTE:- The variations shown in graphs are exemplary & the numerical values may differ due to physical conditions and individual's working.

STEP (A):- The frequency response of the amplifier.



1. The oscillator and the AC millivoltmeter are given on the experimental board. Connect terminals A-A, B-B(ground). Connect terminals 1-1, 2-2, 3-3, 4-4, 5-5, 6-6, 7-7 and 8-8. Do not connect terminals C & E.
2. Switch on the power.
3. Set oscillator at 1 kHz frequency and connect AC millivoltmeter at input terminals (V_{in}) and D(ground).

NOTE: To measure below 1 volt readings, use range switch (SW) given with AC Millivoltmeter.

4. Keep range switch SW pressed (1 Vp-p) and adjust input voltage (V_{in}) at 600mV (0.6V) by using set amplitude pot and record it. Keep this value of V_{in} constant in subsequent measurements at different frequency steps.

$$V_{in} = \dots \text{ mV} = \dots \text{ V}$$

5. Connect AC millivoltmeter at output terminals C & D(ground). Now measure and record output voltage V_{out} (volt).
6. Repeat steps 4 and 5 for other frequency steps (2kHz, 3kHz....40kHz) to investigate the frequency response.
7. Calculate voltage gain of amplifier by following relation for each frequency step:

$$A = \frac{V_{out} \text{ (volt)}}{V_{in} \text{ (volt)}} = \dots$$

8. Calculate the decibel voltage gain A_{dB} by following relation for each value of A:

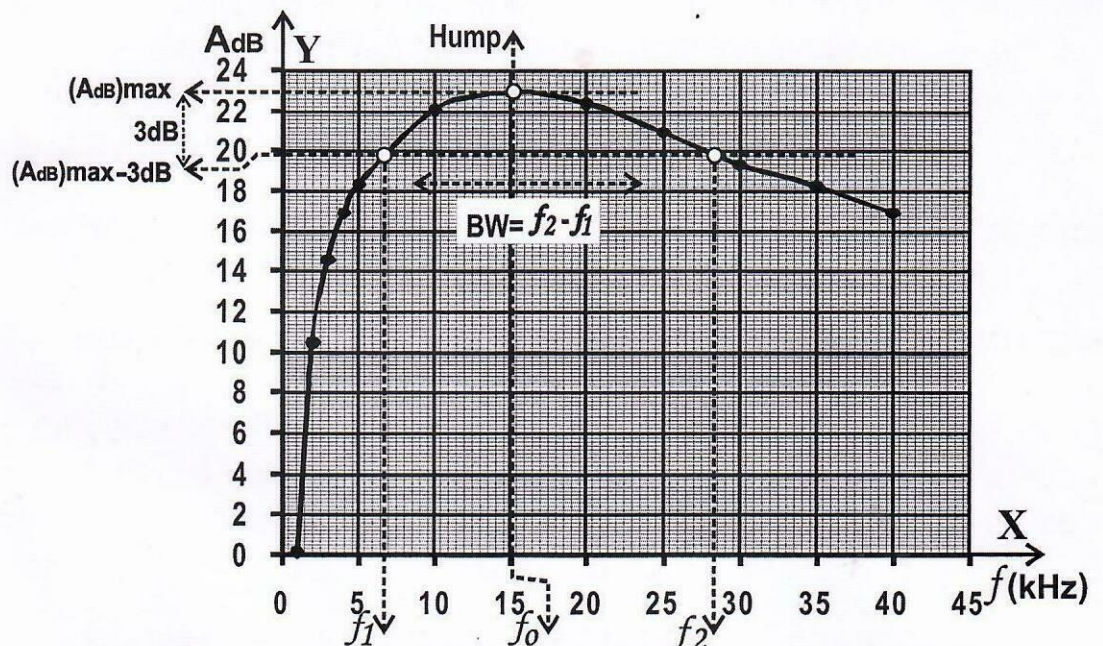
$$A_{dB} = 20(\log_{10} A)...$$

9. Record the measured & calculated values in following table (1).

Table(1): Record input voltage V_{in} , output voltages V_{out} , voltage gain A and decibel voltage gain A_{dB} with frequency f .

| Sl. no. | frequency steps f (kHz) | constant input voltage V_{in} (volt) | Output voltage V_{out} (volt) | Gains | |
|---------|---------------------------|--|---------------------------------|-------|----------|
| | | | | A | A_{dB} |
| | | | | | |

10. Take frequency steps in kHz on X-axis and decibel voltage gain A_{dB} on Y-axis. Plot a frequency response of type shown in fig (2) by using records in table(1).



Fig(2): Frequency response of Transformer - Coupled amplifier.

11. Note the value of A_{dB} for hump point as $(A_{dB})_{max}$. Subtract 3dB from this value. Get intercept frequencies f_2 kHz as upper cut off and f_1 kHz as lower cut off values.

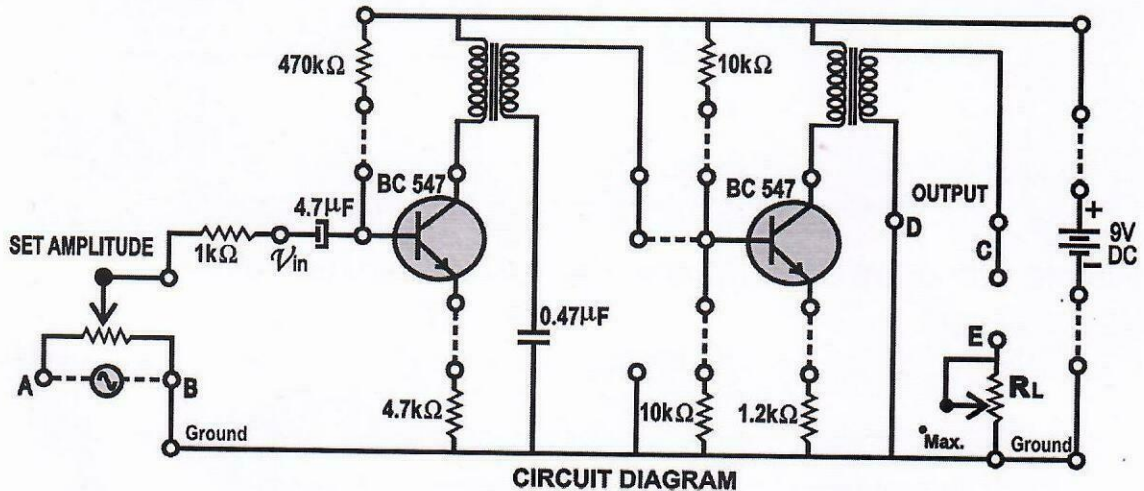
12. Record following as findings:

- (a) Hump frequency $f_0 = \dots$ kHz.
- (b) Upper cut off frequency $f_2 = \dots$ kHz.
- (c) Lower cut off frequency $f_1 = \dots$ kHz.
- (d) Bandwidth $BW = (f_2 - f_1) = \dots$ kHz.

PROCEDURE: -

STEP (B):- Output impedance (Z_{out}) of the amplifier at different frequency steps.

- Keep power switch in off position.
- Remove all the connections, if any, on the exp. board.



1. The oscillator and the AC millivoltmeter are given on the experimental board. Connect terminals A-A, B-B(ground). Connect terminals 1-1, 2-2, 3-3, 4-4, 5-5, 6-6, 7-7 and 8-8. Do not connect terminals C & E.
2. Switch on the power.
3. Set oscillator at 5 kHz frequency and connect AC millivoltmeter at input terminals (V_{in}) and D(ground).

NOTE: To measure below 1 volt readings, use range switch (SW) given with AC Millivoltmeter.

4. Keep range switch SW pressed (1 Vp-p) and adjust input voltage (V_{in}) at 600mV (0.6V) by using set amplitude pot and record it. Keep this value of V_{in} constant in subsequent measurements at different frequency steps.

$$V_{in} = \dots \text{ mV} = \dots \text{ V}$$

5. Connect AC millivoltmeter at output terminals C & D(ground).
Now measure and record output voltage $V_{out} = \dots \text{ V}$.
6. Keeping R_L at its maximum (max) position connect terminal C to E to include the variable R_L in the output.
7. Change the value of R_L so that output voltage becomes half, i.e. $V_{out} / 2$.
8. Disconnect terminals C & E. Use a digital multimeter at resistance range across R_L terminals and record the value of R_L at which the output voltage becomes $V_{out} / 2$.
9. Repeat steps from 3 to 8 for following frequency steps:

10 kHz, 15kHz, 20kHz and 25kHz,

10. Record observations in table (2):

Table (2): Variation of Z_{out} in $k\Omega$ with frequency in kHz.

| Sl. no. | f kHz | V_{out} Without R_L | $V_{out} / 2$ With R_L | The value of R_L in $k\Omega$ to make $V_{out} / 2$ $R_L = Z_{out}$ |
|---------|---------|-------------------------|--------------------------|---|
| | | | | |

11. To find the output impedance (Z_{out}) at hump (f_0) take frequency steps on X-axis and Z_{out} values on Y-axis.

Plot a graph as shown in fig. (3) using table (2):

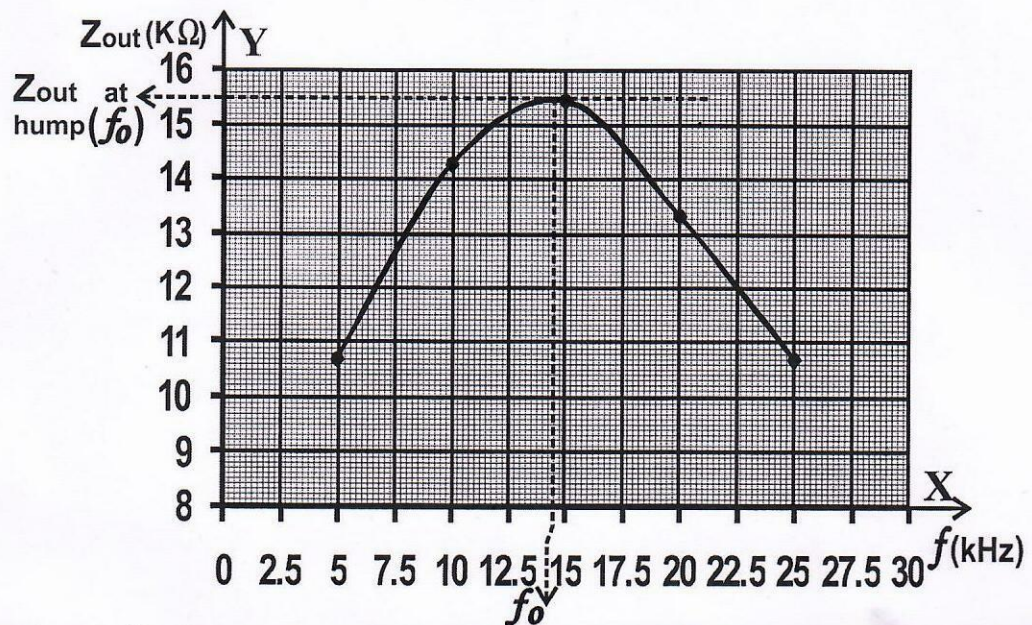


Fig (3): Impedance (Z_{out}) response at different frequencies of Transformer - Coupled amplifier.

12. (i) Note that the delivery of power is frequency dependant.

(ii) The output impedance $Z_{out} = \dots k\Omega$ at the $f_0 = \dots$ kHz

Additional Exercise: - (i) The frequency response of single stage transformer coupled amplifier may be studied by decoupling two stages.

(ii) Repeat the procedure for only one stage. Compare the results.